

1. In fig (i)  $AB = FE$ ,  $BC = ED$ ,  $AB \perp BE$ ,  $FE \perp BE$ . Prove that  $\angle ADB = \angle FCE$ .

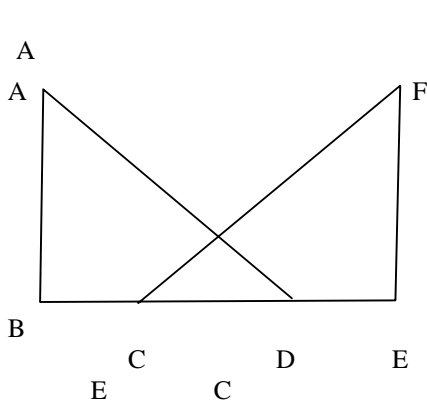


Fig (i)

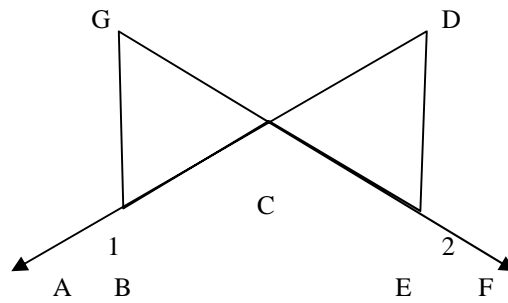
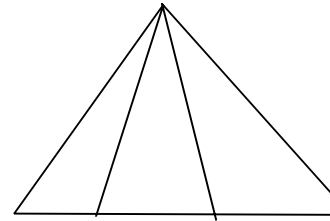


fig (ii)



fig

- (iii)
- In fig (ii)  $BC = EC$ ,  $\angle 1 = \angle 2$ , prove that  $\triangle GBC = \triangle DEC$ .
  - In fig (iii)  $AB = AC$  and  $BE = CD$ . Prove that  $AE = AD$
  - In fig (iv)  $AD = AC$ ,  $\angle BAC = \angle EAD$ . Prove that  $AB = AE$
  - In fig (v)  $\angle ABC$  is an angle in a semi-circle. Prove that  $\angle ABC = 90^\circ$ . (hint: Join OB)
  - In fig (vi) ABCD is a square. X & Y are points on AD and BC respectively, such that  $ABX$ . Prove that  $\angle BAY = \angle ABX$ .
  - In fig (vii)  $AB = AC$ . Is  $AB > BC$ ?

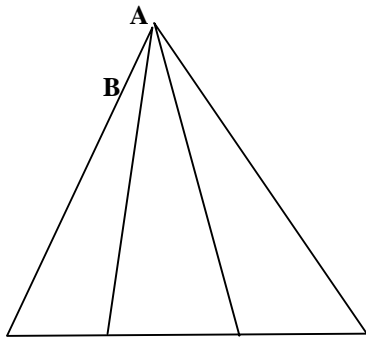


Fig (iv)

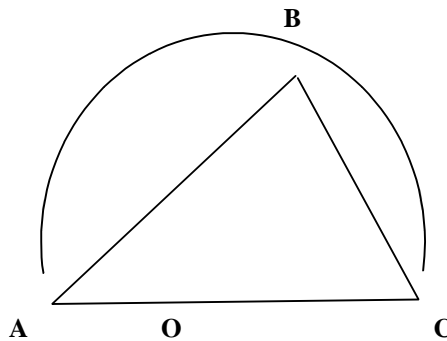


fig (v)

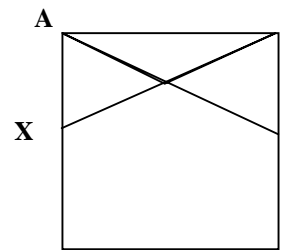
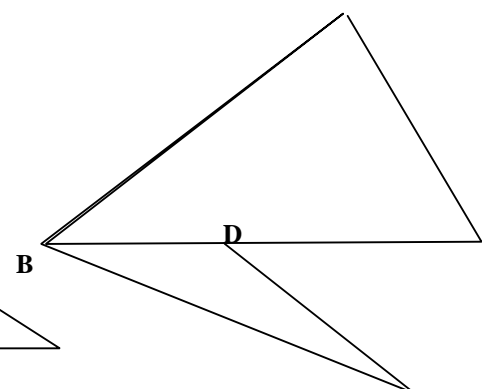
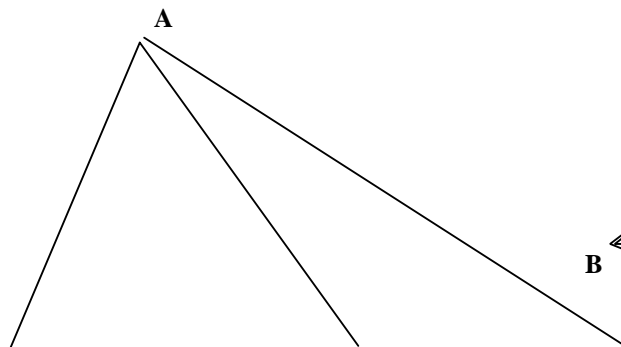
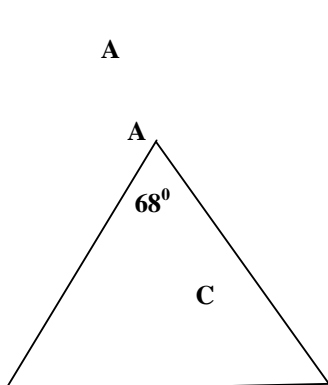
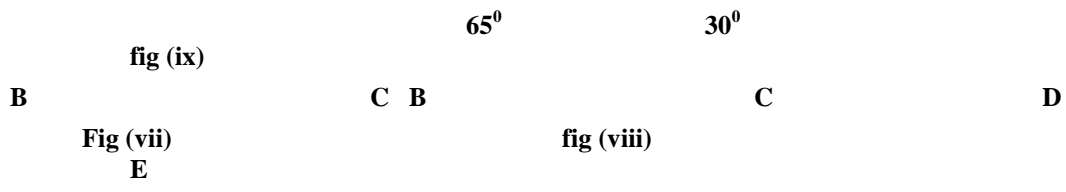


fig (vi)





8. In fig (viii),  $AB = AC$ . Arrange  $BC$ ,  $CA$ ,  $CD$  in ascending order of magnitude.
9. In fig (ix)  $D$  is a point on the side  $BC$  of a  $\triangle ABC$  and  $E$  is a point such that  $ED = CD$ . Show that  $AB + AC > BE$ .